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Projective and projection geometry for a new kind of unification

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For a unification of the four basic interactions I use an octonian vector space with suitable projections, add Moebius transformations to the $U(1) \times SU(2) \times SU(3)$ symmetry and seven 3-dimensional Fano measures of Gleason which include Euclidean space coordinates. Everyone who believes today that the world of physics is not a projection like used for TV, having originally 4 dimensions, is kept ignorant like in the middle ages. Double up the 4 coordinates to octonian vectors by including an input vector e_0 , an output vector e_7 , two energy coordinates: e_5 for mass and a Higgs field, e_6 for frequencies. e_1, e_2, e_3 and e_4 are for space and time coordinates. Add for vectorial input/output poles on a bounding 2-dimensional ball sphere S^2 of a nucleon the poles carrying group of Moebius transformations to the standard models of physics symmetry $U(1) \times SU(2) \times SU(3)$ for including gravity in a unification. Add to the octonian Gleason measure 123 of Euclidean space $e_1 e_2 e_3$ six octonian Fano measures (7 lines in the figure, each line has 3 octonian coordinates) 145, 167, 246, 257, 347, 356, respectively used for special relativity, electromagnetic interaction (wave character), (inner space) entropy, Schwarzschild radius and barycentric mass (particle character, general relativity scaling), rotational whirls character (magnetic, rgb-gravitons), strong nucleon rotor (changing states) for integrating (bold notation, second derivative, accelerating) force vectors to (first derivative) potentials, speeds or for getting equilibrium state solutions. Octonian projections are in brief projective-homogeneous notation (complex division like $e_j \cdot [1/w]$): (i) for discrete energy input-output $1/e_0 e_7$ vectorial poles and 6 discrete vectors, attached for the energy exchange with its environment, on a system bounding hedgehog S^2 containing an inner bag space (a complex 2-dimensional projective grid in spacetime) and (ii) for $1/e_5 e_6$ energies down to the vacuum space-time coordinates $e_1 e_2 e_3 e_4$ of an outer Minkowski space. Particle carriers for energy exchanges (field quanta) are in alphabetical order: gluons, Higgs bosons e_5 , magnetic whirls e_4 , phonons e_2 , photons e_7 , rgb-graviton whirls $e_1 e_2 e_6$ (in the MINTWIGRIS model, the neutral color charge of nucleons), weak bosons $e_1 e_2 e_3$; for fermion series: the 2-polar quark brezels and the 1-polar toroidal leptons as 2- and 1-Heegard decompositions of weak bosons. An energy evolution is from e_0 as vectorial energy input and Higgs bosons (for setting mass) to quarks $e_1 e_5$, from e_1 to $e_2 e_4$ (electromagnetism), from e_5 to $e_3 e_6$ (nucleon rotor with a gravitational pulsation), down to 8 gluons, followed by a heat chaos. e_7 light as output comes from atoms decays. On nucleon base, strong and weak coordinates are in special relativistic motion for mass defects of u-quarks. As well its rescaling special relativistic factor as the general relativistic Schwarzschild factor of the Schwarzschild metric are Moebius transformations M, G and arise through central projections. The scaled matrices M, G are of order 2, 6 and generate the symmetry for the two 12 series of quarks and of leptons.

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